Chapter 1 Introduction (II)

Solved Problems (1/8)

- **Problem 1** Convert the following positive binary integers to decimal.
 - **a.** 110100101

b. 00010111

- Answer 1
 - **a.** 110100101 = 1 + 4 + 32 + 128 + 256 = 421**b.** 00010111 = 1 + 2 + 4 + 16 = 23

Solved Problems (2/8)

• **Problem 2** Convert the following decimal integers to unsigned binary of 12 bits.

a. 47

b. 5000

- Answer 2
 - **a.** 47 = 000000101111

b. 5000 cannot be represented in 12 bits because $5000 \ge (2^{12}-1)$

Solved Problems (3/8)

- **Problem 3** Convert the following to hexadecimal.
 - **a.** 11010110111₂
 - **b.** 611₁₀
- Answer 3
 - **a.** 0110 1011 0111 = $6B7_{16}$
 - **b.** 611/16 = 38 rem 3 3 38/16 = 2 rem 6 63
 - 2/16 = 0 rem 2 263

Solved Problems (4/8)

- **Problem 4** Represent the following decimal numbers into a 6-bit two's complement format.
 - **a.** +14
 - **b.** -20
 - **c.** +37
- Answer 4
 - **a.** 001110
 - **b.** 101100

c. +37 cannot be represented into a 6-bit 2's complement format because it is out of the range $-32 \le n \le 31$.

Solved Problems (5/8)

- **Problem 5** Compute the sum of the following pairs of 2's complement into 6 bits of computer words.
 - **a.** 111111+001011
 - **b.** 001001+100100
 - **c.** 001010+011000
- Answer 5

a.	$1\ 1\ 1\ 1\ 1\ 1$	-1	
	$0\ 0\ 1\ 0\ 1\ 1$	+11	The carry out is ignored and will not
	(1) 001010	+10	be shown in the remaining examples.
b.	$0\ 0\ 1\ 0\ 0\ 1$	+9	
	$1\ 0\ 0\ 1\ 0\ 0$	-28	
	$1 \ 0 \ 1 \ 1 \ 0 \ 1$	-19	

Solved Problems (6/8)

- Answer 5 (Cont'd)
 - **c.** $0 \ 0 \ 1 \ 0 \ 1 \ 0 \ +10$
 - 0 1 1 0 0 0 +24
 - 100010 looks like -30; should be +34; overflow sum of two positive numbers looks negative

Solved Problems (7/8)

- **Problem 6** Subtract each of the following pairs of signed (two's complement) numbers.
 - **a.** 110101-000011
 - **b.** 110101-011000
- Answer 6

		1	
а.	$1\ 1\ 0\ 1\ 0\ 1$	$1\ 1\ 0\ 1\ 0\ 1$	- 11
	$-0\ 0\ 0\ 0\ 1\ 1$	1 1 1 1 0 0	-(+3)
		$(1)\ 1\ 1\ 0\ 0\ 1\ 0$	-14
h		1	
D.	$1\ 1\ 0\ 1\ 0\ 1$	$1\ 1\ 0\ 1\ 0\ 1$	-11
	$-0\ 1\ 1\ 0\ 0\ 0$	$1\ 0\ 0\ 1\ 1\ 1$	-(+24)
		$(1) \ \overline{0 \ 1 \ 1 \ 1 \ 0 \ 1}$	overflow, answer looks
			positive

Solved Problems (8/8)

- **Problem 7** Code the following into ASCII.
 - i. HELLO
 - ii. hello
- Answer 7
 - i. 1001000 1000101 1001100 1001100 1001111 ii. 1101000 1100101 1101100 1101100 1101111